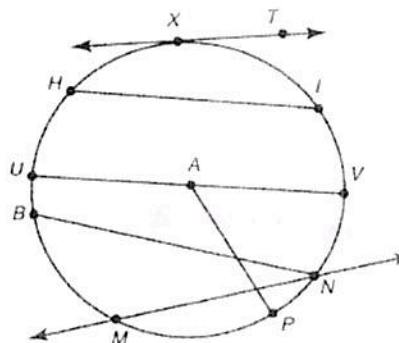


11.1 - Intro to Circles

Identify an instance of each term in the diagram.

O = multiple options



1. center of the circle A

3. secant of the circle MN

5. point of tangency X

7. inscribed angle $\angle BNM$

9. major arc \widehat{HMV}

11. diameter \overline{UV}

2. chord \overline{HI}

4. tangent of the circle \overleftrightarrow{XT}

6. central angle $\angle VAP$

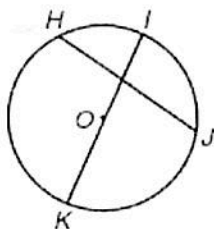
8. arc \widehat{HV}

10. minor arc \widehat{UB}

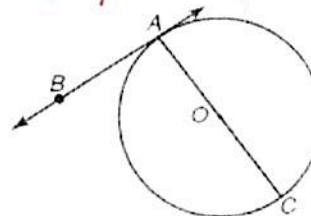
12. semicircle \widehat{UMV}

Name the indicated part of each circle

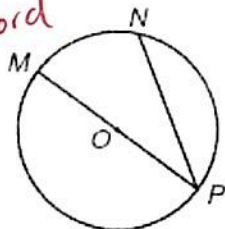
13. O Center



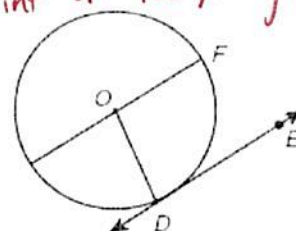
\overleftrightarrow{AB} Tangent



14. \overline{NP} Chord

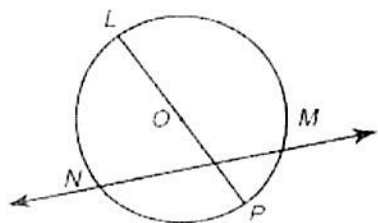


16. D point of tangency

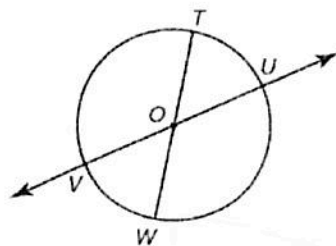


15.

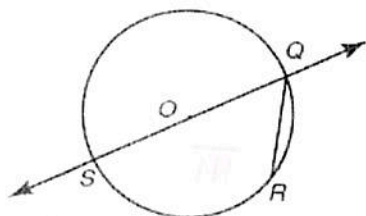
17. \overleftrightarrow{MN} *Secant*



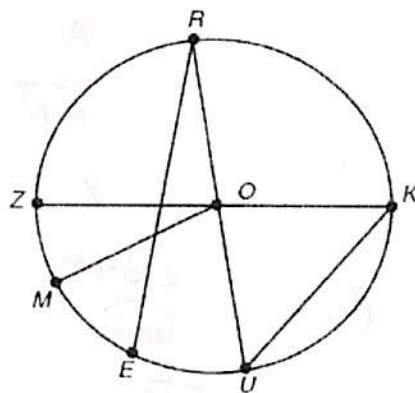
19. $\angle TOU$ *central*



18. $\angle SQR$ *Inscribed*



Identify each angle as an inscribed angle or a central angle.



20. $\angle URE$ *I*

21. $\angle ZOM$ *C*

22. $\angle KOM$ *C*

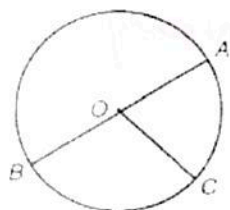
23. $\angle ZKU$ *I*

24. $\angle MOU$ *C*

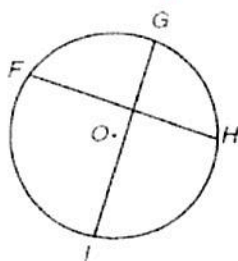
25. $\angle ROK$ *C*

Classify each arc as a minor arc, major arc, or semicircle.

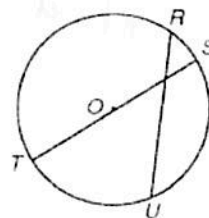
26. \widehat{AC} *Minor*



27. \widehat{FHI} *Major*



28. \widehat{TRS} *Semi.*



11.2 – Central Angles, Inscribed Angles, and Intercepted Arcs

Use circle S to answer each question

1. Suppose that $m\widehat{CE} = 59^\circ$. What is $m\widehat{CFE}$?

~~121~~ 121°

2. Suppose that $m\angle CSI = 124^\circ$. What is $m\widehat{FI}$?

56°

3. Suppose that $m\widehat{CE} = 55^\circ$. What is $m\angle EFC$?

27.5°

4. Suppose that $m\angle FSI = 71^\circ$. What is $m\widehat{IC}$?

109°

5. In circle E shown, $m\angle ANG = 74^\circ$.

- a. Determine $m\angle AEG$.

148°

- b. Determine $m\widehat{ANG}$.

212°

6. In circle H shown, $m\widehat{CA} = 105^\circ$, $m\widehat{EA} = 47^\circ$, and $m\widehat{ET} = 100^\circ$.

- a. Determine $m\angle ETC$.

76°

- b. Determine $m\angle TCE$.

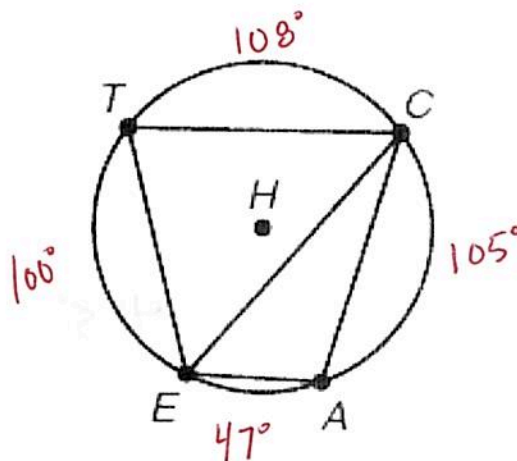
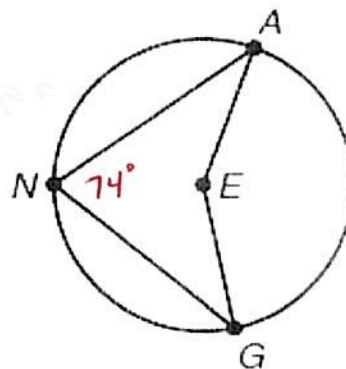
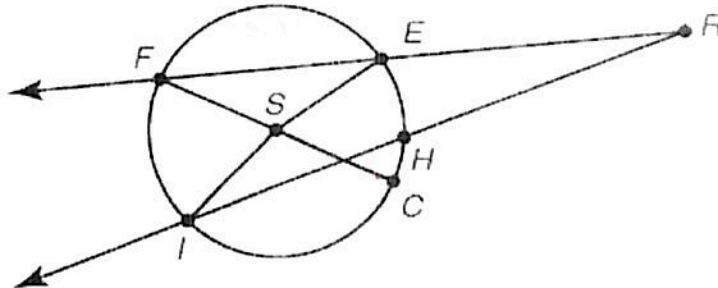
50°

- c. Determine $m\angle CAE$.

104°

- d. Determine $m\angle TEA$.

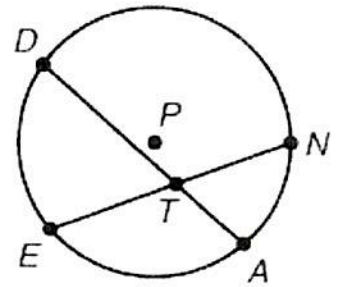
106.5°



11.3 – Measuring angles Inside and Outside of Circles

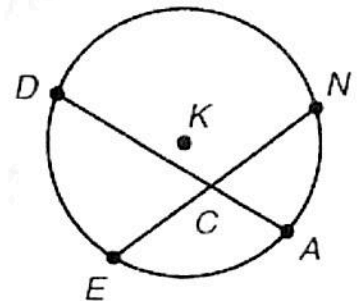
1. In circle P shown, $m\widehat{DE} = 75^\circ$ and $m\widehat{NA} = 49^\circ$. Determine $m\angle DTE$.

62°



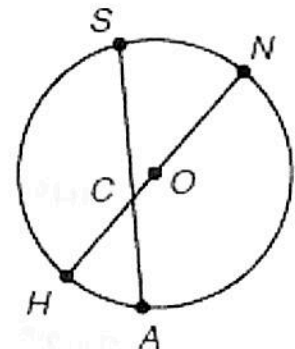
2. In circle K shown, $m\widehat{DN} = 144^\circ$ and $m\angle NCA = 68^\circ$. Determine $m\widehat{EA}$.

80°



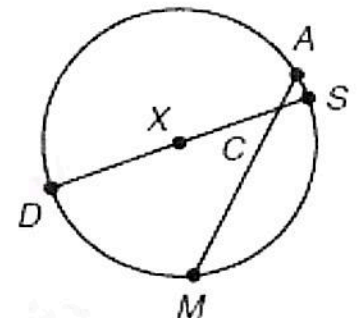
3. In circle O shown, $m\widehat{SN} = 55^\circ$ and $m\widehat{HA} = 35^\circ$. Determine $m\angle SCH$.

135°



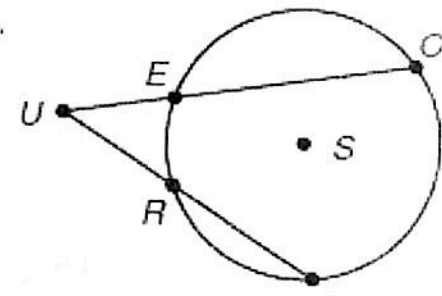
4. In circle X shown, $m\widehat{AS} = 11^\circ$ and $m\widehat{MS} = 104^\circ$. Determine $m\angle DCM$.

43.5°



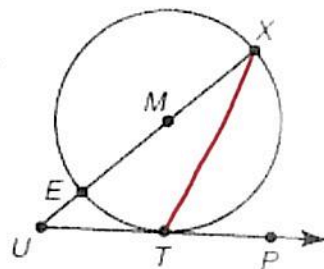
5. In circle S shown, $m\widehat{ER} = 38^\circ$ and $m\widehat{OT} = 121^\circ$. Determine $m\angle OUT$.

41.5°



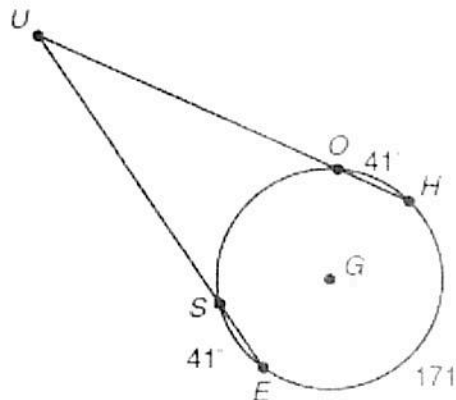
6. In circle M shown, \overline{XE} is a diameter of the circle and $m\widehat{XT} = 132^\circ$. Draw a chord that connects points X and T . Then determine $m\angle XUT$.

42°



7. In circle G shown, $\overline{OH} = \overline{ES}$, $m\widehat{OH} = 41^\circ$, and $m\widehat{HE} = 171^\circ$. Determine $m\angle EUH$.

32°



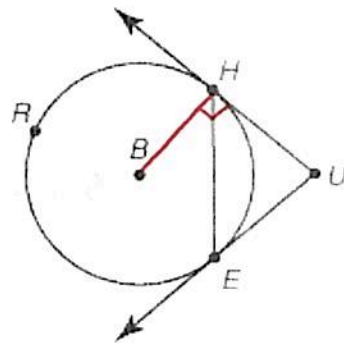
8. In circle B shown, $m\widehat{HE} = 99^\circ$.

a. Determine $m\angle HUE$.

81°

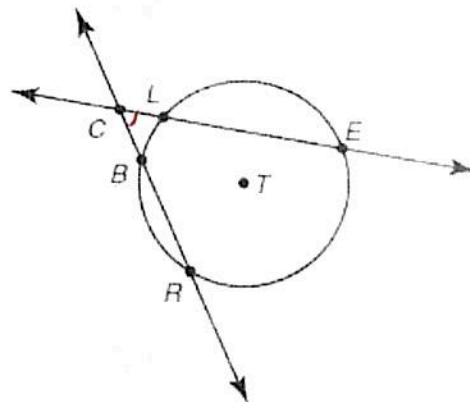
b. Determine $m\angle BHU$.

90°



9. In circle T shown, $m\angle RCE = 57^\circ$ and $m\widehat{RE} = 141^\circ$. Determine $m\widehat{BL}$.

27°



11.4 – Chords

Match each definition with its corresponding term.

- ~~a.~~ If two chords of the same circle or congruent circles are congruent, then their corresponding arcs are congruent.
- ~~b.~~ The segments formed on a chord when two chords of a circle intersect
- ~~c.~~ If two chords of the same circle or congruent circles are congruent, then they are equidistant from the center of the circle.
- ~~d.~~ If two arcs of the same circle or congruent circles are congruent, then their corresponding chords are congruent.
- ~~e.~~ If two chords of the same circle or congruent circles are equidistant from the center of the circle, then the chords are congruent.
- ~~f.~~ If two chords of a circle intersect, then the product of the lengths of the segments of one chord is equal to the product of the lengths of the segments in the second chord.
- ~~g.~~ If a diameter of a circle is perpendicular to a chord, then the diameter bisects the chord and bisects the arc determined by the chord.

G 1. Diameter-Chord Theorem

C 2. Equidistant Chord Theorem

E 3. Equidistant Chord Converse Theorem

A 4. Congruent Chord-Congruent Arc Theorem

D 5. Congruent Chord-Congruent Arc Converse Theorem

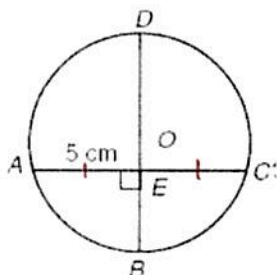
B 6. Segments of a chord

F 7. Segment-Chord Theorem

Determine each measurement.

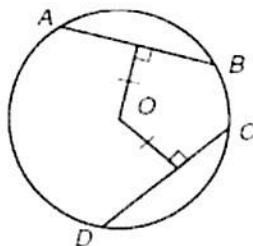
8. If \overline{BD} is a diameter, what is the length of \overline{EC} ?

5 cm



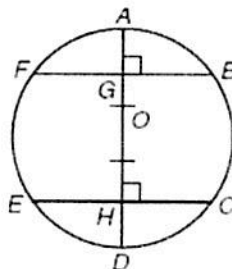
9. If the length of \overline{AB} is 13 millimeters, what is the length of \overline{CD} ?

13 mm



10. If the length of \overline{BF} is 32 inches, what is the length of \overline{CH} ?

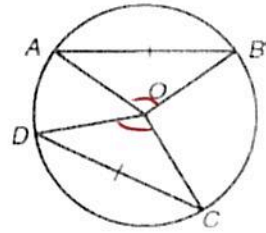
16 in.



PAP Geometry HW

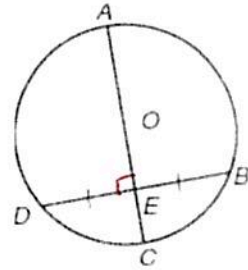
11. If the measure of $\angle AOB = 155^\circ$, what is the measure of $\angle DOC$?

$$155^\circ$$



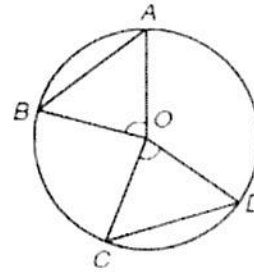
12. If segment \overline{AC} is a diameter, what is the measure of $\angle AED$?

$$90^\circ$$



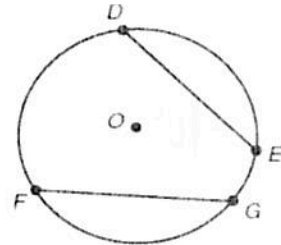
13. If the length of \overline{AB} is 24 centimeters, what is the length of \overline{CD} ?

$$24 \text{ cm}$$



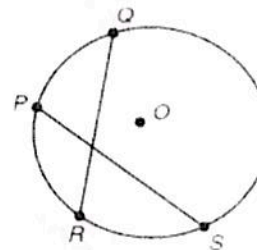
14. If $\overline{DE} = \overline{FG}$, how does the measure of \widehat{DE} and \widehat{FG} compare?

$$\widehat{DE} = \widehat{FG}$$



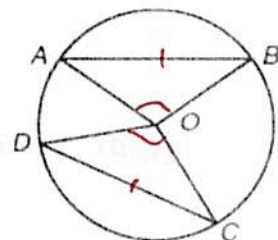
15. If $\overline{QR} = \overline{PS}$, how does the measure of \widehat{QPR} and \widehat{PRS} compare?

$$\widehat{QPR} = \widehat{PRS}$$



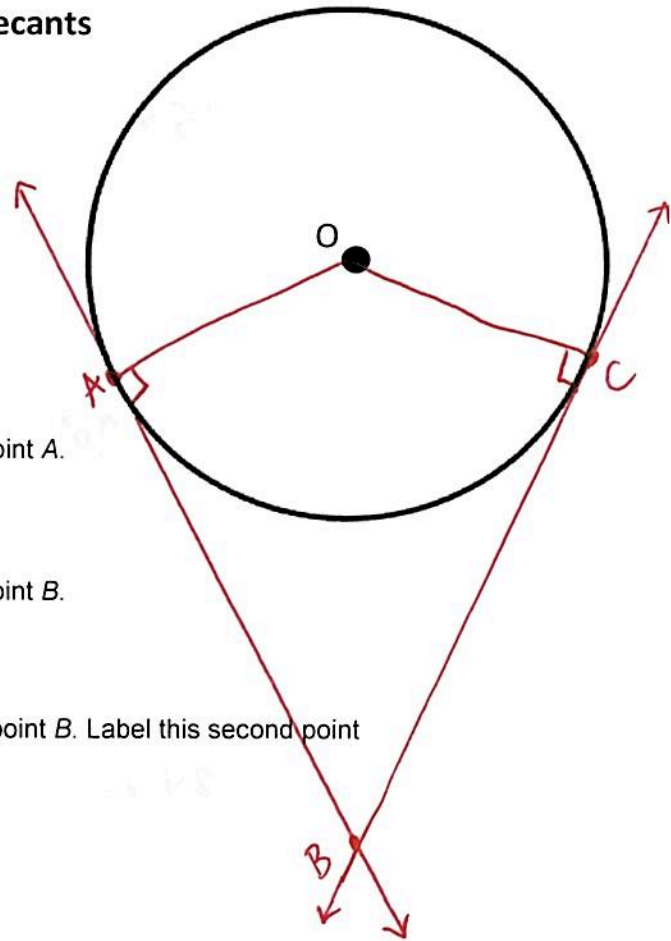
16. If $\angle AOB = \angle DOC$, what is the relationship between \overline{AB} and \overline{DC} ?

$$\overline{AB} = \overline{DC}$$



11.5– Tangents and Secants

1. Use circle O to complete parts (a) through (h).



- Draw a tangent to circle O. Label the point of tangency as point A.
- Label another point on the tangent you drew in part (a) as point B.
- Draw a second tangent line to circle O that passes through point B. Label this second point of tangency as point C.
- Draw the radii \overline{OA} and \overline{OC} .

e. What is $m\angle OAB$? Explain your reasoning.

$$90^\circ$$

f. What is $m\angle OCB$? Explain your reasoning.

$$90^\circ$$

g. Use a protractor to determine the measure of $\angle AOC$.

$$120^\circ$$

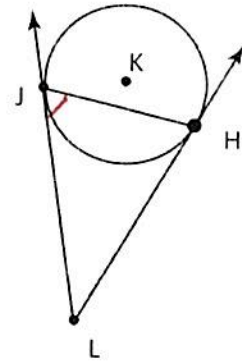
h. What is $m\angle ABC$? Explain your reasoning.

$$\begin{aligned} \text{Quadrilateral} &= 360^\circ \\ \angle ABC &= 60^\circ \end{aligned}$$

PAP Geometry HW

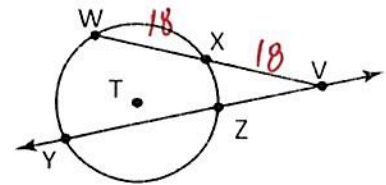
2. In the figure shown, rays LJ and LH are tangent to circle K , and the measure of angle LJH is 71° . What is the measure of angle JLH ?

38°



3. In the figure shown, $WV = 36$ inches, point X is a midpoint of segment WV , and $YV = 40$ inches. What is YZ ?

23.8 in



4. In the figure shown, line FG is tangent to circle Q , $BC = 10$ feet, and $CG = 4$ feet. What is FG ?

7.48 ft.

