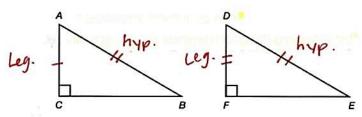
8.1 Hypotenuse-Leg (HL) Theorem

Hypotenuse-Leg (HL) Congruence Theorem: "If the hypotenuse and leg of one right triangle are congruent to the hypotenuse and leg of another right triangle, then the triangles are congruent."

, Given: ∠C and ∠F are right angles

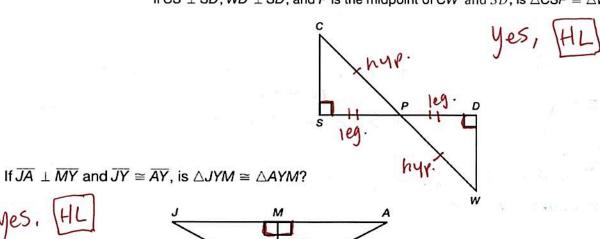
$$\overline{AC}\cong \overline{DF}$$

Prove: $\triangle ABC \cong \triangle DEF$

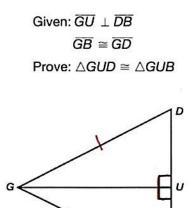


Determine if there is enough information to prove that the two triangles are congruent. If so, name the congruence theorem used.

If $\overline{CS} \perp \overline{SD}$, $\overline{WD} \perp \overline{SD}$, and P is the midpoint of \overline{CW} and \overline{SD} , is $\triangle CSP \cong \triangle WDP$?



Create a proof of the following.



Statements

1. GU I DB

2. GB = GD

3. <GUD = <GUB

4. GU = GU

5. A GUD = AGUB

Reasons

1. Given

4. Reflexive

5. HL Congruence

8.2 CPCTC

Corresponding parts of congruent triangles are congruent: If two triangles are congruent, then each part of one triangle is congruent to the corresponding part of the other triangle.

Abbreviated as CPCTC, it is often used as a reason in proofs. CPCTC states that corresponding angles or sides in two congruent triangles are congruent. This reason can only be used after you have proven that the triangles are congruent.

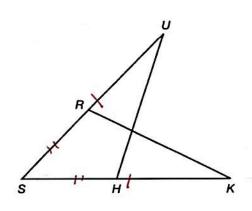
Create a proof of the following.		
Given: \overline{CW} and \overline{SD} bisect each other	Statements	Reasons
Prove: $\overline{CS} \cong \overline{WD}$	1. CW and SD bisect cach other.	1. Given
	2. CP ≅ LOP	2. Def. of seg. bisector
X	3. SP & DP	3. 11
s II VIII X	4. <5 = <d and<="" td=""><td>4. esiven</td></d>	4. esiven
* *	5. A CPS = A WPD	5. HL congruence
other option w	6. CS = WD	6. CPCTC
S. △CPS = DWPD → S. SAS	0. 0)	7) j. srem s
		T.

Statements	Reasons
/. Sv = 5k	1. Given
2. SR & SH	2. //
3. <5 ≃ <5	3. Reflexive
4. DSHU = DSRK	4. SAS
5. ∠v ≅ <k< td=""><td>5. CPCTC</td></k<>	5. CPCTC

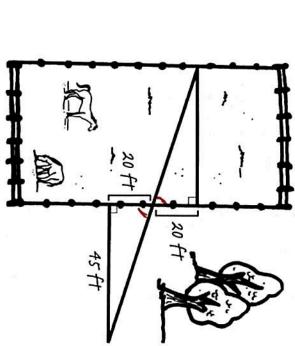
Create a proof of the following.

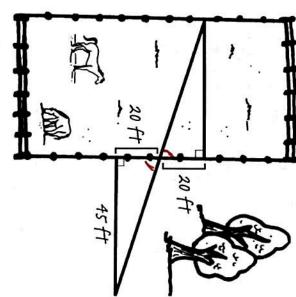
Given: $\overline{SU} \cong \overline{SK}$, $\overline{SR} \cong \overline{SH}$

Prove: $\angle U \cong \angle K$

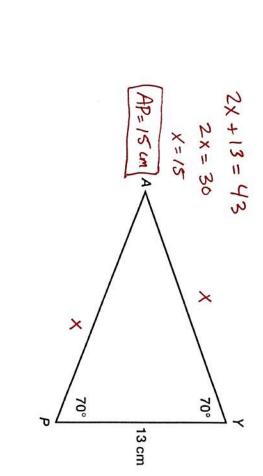


1. How wide is the horse's pasture?

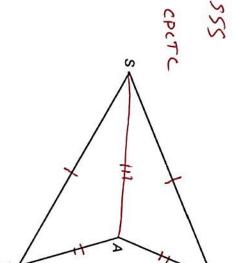




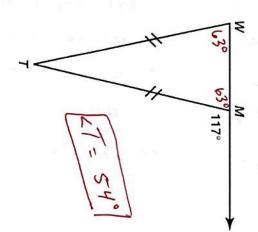
2. Calculate AP if the perimeter of $\triangle AYP$ is 43 cm.



3. Given: $\overline{ST} \cong \overline{SR}$, $\overline{TA} \cong \overline{RA}$ Explain why $\angle T \cong \angle R$.



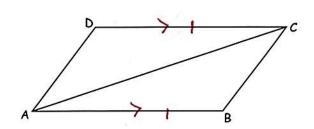
Calculate m∠T.



PAP Geometry Notes

Given: $\overline{AB} // \overline{DC}$; $\overline{AB} \cong \overline{CD}$

Prove: $\triangle ABC \cong \triangle CDA$



Statements

1. ABII DC

2. AB = DC

3. <DCA = ACB

4. AC = AC

5- AABC = DICOA.

Reasons

1. Given

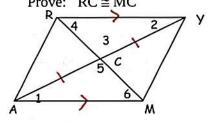
2. 11

3. Alt. int. 2's

4. Reflexive

5. SAS

Given: $\overline{MA} // \overline{RY}$; \overline{RM} bisects \overline{AY} Prove: $\overline{RC} \cong \overline{MC}$



Statements

1. MA 11 RY

2. Rm bisects AY

3. AL ZCY

4. <3 = 45

5. <2 = <1

6. DRCY = AMCA

7. RC = MC

Reasons

1. Given

2. 11

3. Def. seg. bisector

4. restical &' 5

5. alt. int. x's

6. ASA

7. CPCTC